

Function Zero-reachability(\mathcal{S}, d, p)

input: pVASS $\mathcal{S} = (Q, \gamma, W)$ rozmeru $d \in \mathbb{N}^+$, stav p

output: hodnota *true*, ak pravdepodobnosť, že nedosiahneme z konfigurácie $(p, 1)$ takú konfiguráciu, v ktorej niektoré počítadlo je nula, je väčšia ako nula, hodnota *false* inak

begin

$c \leftarrow |Q|^2 + (2 \cdot |Q| + 1)^d \cdot (d^2 \cdot d! \cdot |Q|^2 + 2 \cdot d^3 \cdot d!^2 \cdot |Q|^4 \cdot (2 \cdot |Q| + 1)^d)$

$\hookrightarrow \leftarrow \emptyset$

foreach $(q, \alpha, r) \in \gamma$ **do** $\hookrightarrow \leftarrow \hookrightarrow \cup (q, r)$

$Prob \leftarrow \emptyset$

foreach $(q, r) \in \hookrightarrow$ **do begin**

$T \leftarrow 0$

foreach $(q', \alpha, r) \in \gamma$ **do**

if $q = q'$ **then** $T \leftarrow T + W(q', \alpha, r)$

$P(q, r) \leftarrow 0$

foreach $(q', \alpha, r') \in \gamma$ **do**

if $q = q'$ **and** $r = r'$ **then begin**

$P(q', \alpha, r') \leftarrow W(q', \alpha, r') / T$

$P(q, r) \leftarrow P(q, r) + P(q', \alpha, r')$

end

$Prob \leftarrow Prob \cup P(q, r)$

end

$\mathcal{F}_A \leftarrow (Q, \hookrightarrow, Prob)$

$SCCs \leftarrow TarjansAlgorithm(Q, \hookrightarrow)$

$BSCCs \leftarrow \emptyset$

foreach $C \in SCCs$ **do begin**

$a \leftarrow 0$

foreach $(q, r) \in \hookrightarrow$ **do**

if $q \in C$ **and** $r \notin C$ **then begin**

$a \leftarrow -1$

break

end

if $a = 0$ **then** $BSCCs \leftarrow BSCCs \cup \{C\}$

end

foreach $C \in BSCCs$ **do begin**

$i \leftarrow 0$

foreach $q \in C$ **do begin**

$A[0][i] \leftarrow 1$

$x[i] \leftarrow q$

$i \leftarrow i + 1$

end

$b[0] \leftarrow 1$

$i \leftarrow 1$

foreach $q \in C$ **do begin**

for $j \leftarrow 0$ **to** $|x| - 1$ **do begin**

$a \leftarrow 0$

if $q = x[j]$ **then begin**

$A[i][j] \leftarrow 1$

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        a ← 1
    end
    foreach (r, q') ∈ ↔ do
        if q = q' and x[j] = r then begin
            if q = x[j] then A[i][j] ← A[i][j] - P(r, q') else A[i][j] ← -P(r, q')
            a ← 1
        end
        if a = 0 then A[i][j] ← 0
    end
    b[i] ← 0
    i ← i + 1
end
μ ← LinearEquationsSolver(A, b)
for i ← 0 to |μ| - 1 do μ(x[i]) ← μ[i]
for i ← 0 to d - 1 do begin
    t[i] ← 0
    foreach q ∈ C do begin
        changeiq ← 0
        foreach (q', α, r) ∈ γ do
            if q = q' then changeiq ← changeiq + P(q', α, r) · α[i]
        t[i] ← t[i] + μ(q) · changeiq
    end
end
C' ← C ∪ {bottom}
γ' ← γ
foreach q ∈ C do γ' ← γ' ∪ {(q, {0}d, bottom)}
b ← 0
for i ← 0 to d - 1 do begin
    a ← 0
    foreach q ∈ C do
        if BellmanFordAlgorithm(C', γ', i, q, bottom) = |C'| + 1 then begin
            botfini(q) ← 0
            a ← -1
        end
        else botfini(q) ← |BellmanFordAlgorithm(C', γ', i, q, bottom)| + 1
    if a = -1 then decreasing(i) ← true else decreasing(i) ← false
    if t[i] > 0 or (t[i] = 0 and decreasing(i) = false) then diverging(i) ← true else begin
        diverging(i) ← false
        b ← -1
    end
end
end
if b = 0 then begin
    S' ← (Q, γ)
    q ← random(Q)
    for i ← 0 to d - 1 do
        if t[i] > 0 then begin
            u[i] ← c
            z[i] ← c + 1

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    end
  else begin
     $u[i] \leftarrow \text{botfin}_i(q)$ 
     $z[i] \leftarrow \text{botfin}_i(q)$ 
  end
  if  $\text{Coverability}(\mathcal{S}', d, (q, u), (q, z)) = \text{true}$  then begin
    if  $\text{Coverability}(\mathcal{S}', d, (p, 1), (q, u)) = \text{true}$  then return true
  end
end
end
return false
end
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